

Percent error of the lab

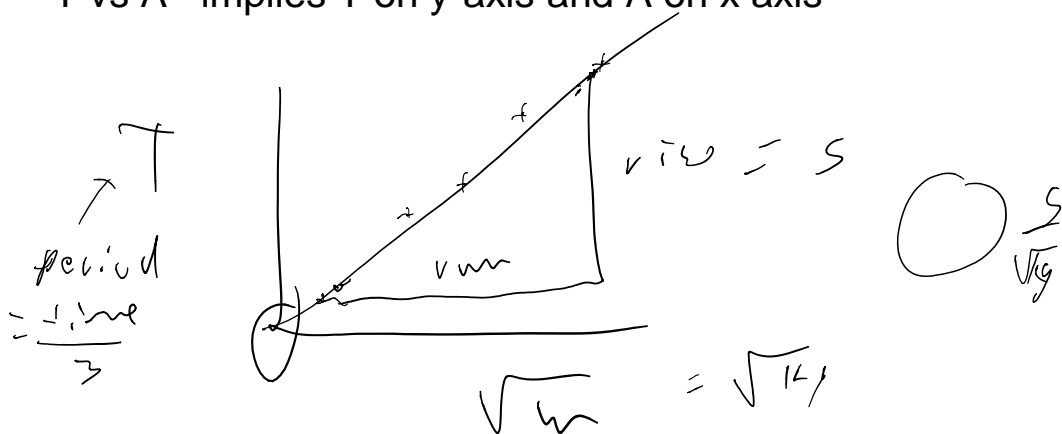
1- D kinematics review

hand out textbooks and labbooks

hand back assignments

x - axis put the independent variable - the one you change eg. mass or Amplitude

T vs A implies T on y-axis and A on x axis



$\frac{1}{\% \text{ error}} = \frac{\text{slope} - \text{theo}}{\text{theo}} \times 100\%$
 $\text{theoretical slope} = \frac{2\pi}{\sqrt{k}}$

$$k = (1.0 \text{ kg} \times 9.8 \text{ N/kg}) / 0.25 \text{ m} = 39.2 \text{ N/m}$$

$$\text{theo} = 2\pi / \sqrt{k}$$

$$2 \times 3.14159 / \sqrt{39.2 \text{ kg/m/s}^2 / \text{m}}$$

$$1.00 \text{ s} / \sqrt{\text{kg}}$$

$$\% \text{error} = \frac{|0.89 - 1.00 \text{ s} / \sqrt{\text{kg}}|}{1.00 \text{ s} / \sqrt{\text{kg}}} \times 100\%$$

11% error

Kinematics - describing motion

types of motion

constant velocity motion

velocity: rate of change in position

$v = \Delta x / \Delta t$ where x is your position vector

slope of a x - time graph

d is displacement, the change in position, Δx

if velocity is constant, then

$$v = d/t \text{ or } d = vt$$

shape of the x - t graph is linear

constant acceleration, a

acceleration a = rate of change in velocity

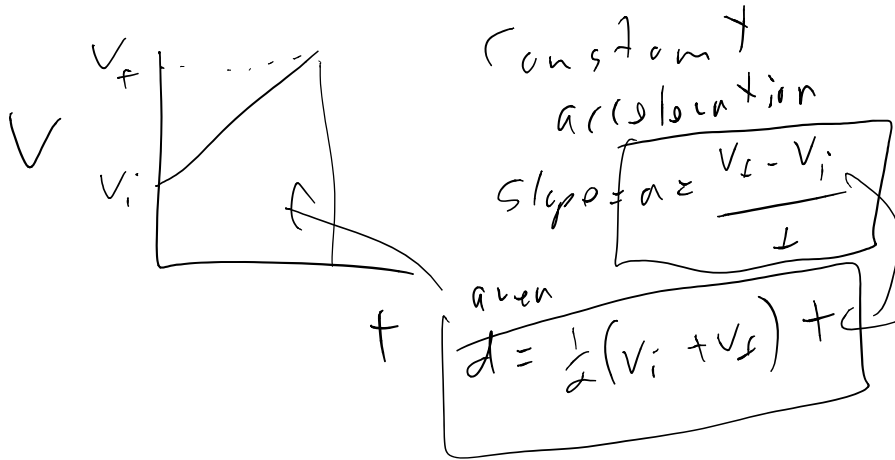
$$a = \Delta v / \Delta t$$

= slope of a v - t graph

if a is constant, then

$$a = (v_f - v_i)/t \quad \text{or} \quad v_f = at + v_i$$

area under the v - t graph is displacement



$$d = \frac{1}{2} at^2 + v_i t$$

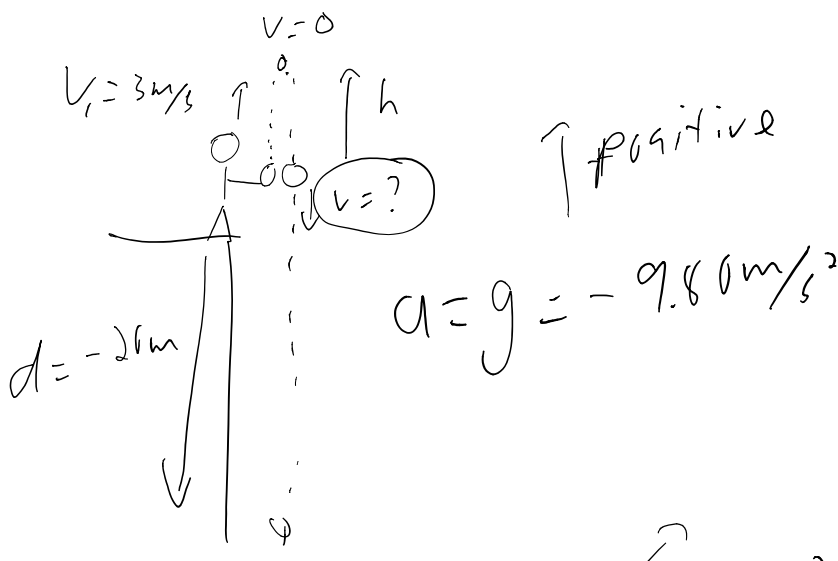
$$v_f^2 = v_i^2 + 2ad$$

acceleration due to gravity = 9.80 m/s^2 if air resistance is negligible - too small to matter

eg.

you throw a ball up at 3.0 m/s from the top of a 20.0 m high cliff.

- how high does it go?
- time to the top point?
- velocity when it returns to the same height
- acceleration i) going up ii) at the top iii) going down
- time to hit the ground at the bottom of the cliff.
- speed just before hitting the ground



$v \mid \phi$

a) $\begin{cases} h = d \\ a = g \\ v_i = 3.0 \text{ m/s} \\ v_f = 0 \end{cases}$

$$v_f^2 = v_i^2 + 2ad$$

$$d = \frac{-v_i^2}{2a} = \frac{-(3)^2}{2(-9.8)}$$

$d = 0.4592 \text{ m}$ round *

$d = 0.46 \text{ m}$

b) $\begin{cases} t = ? \\ a = g \\ v_i = 3.0 \text{ m/s} \\ v_f = 0 \end{cases}$

$$v_f = at + v_i$$

$$t = \frac{v_f - v_i}{a}$$

$$t = \frac{0 - 3.0 \text{ m/s}}{-9.80 \text{ m/s}^2}$$

$t = 0.3061 \text{ s}$

$t = 0.31 \text{ s}$

c) Same but negative
 -3.0 m/s by symmetry

$d = 0 \quad a = -9.8 \quad v_i = 3.0$
 $v_f = ?$

$$v_f^2 = v_i^2 + 2ad$$

$$V_f = -V_i$$

a) all same, -9.8 m/s^2

Percent error of the lab

1- D kinematics review

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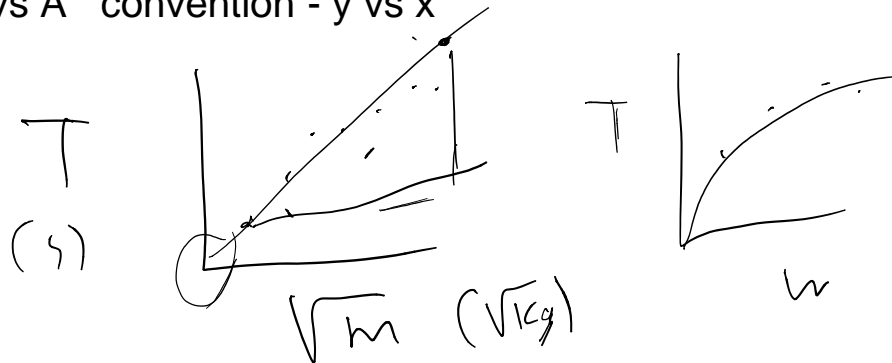
convention

x - axis - independent variable - the one you set

lab: part 1 mass part 2 amplitude

y - axis - dependent variable - the one you observed as you change the independent.

T vs A convention - y vs x



$$T = \frac{2\pi}{\sqrt{k}} \sqrt{m}$$

slope = $\frac{\text{theo} - \text{exp.}}{\text{theo}}$ slope of graph

$$\% \text{ error} = \frac{(\text{theo} - \text{exp.})}{\text{theo}} \times 100$$

$$1/ - 1.01 \times 9.8 \frac{\text{m}}{\text{s}^2} \text{ rand.}$$

$$\frac{1.1 \text{ m}}{0.25 \text{ m}} = 1.1 \text{ m}$$

$$= \frac{39 \text{ kg}}{\text{s}^2}$$

$$f_{\text{Lev}} = \frac{2\pi}{\sqrt{39 \frac{\text{kg}}{\text{s}^2}}} = \boxed{1.0 \frac{\text{s}}{\sqrt{\text{kg}}}}$$

$$g_{\text{up}} = 0.89 \frac{\text{s}}{\sqrt{\text{kg}}}$$

$$\% \text{ error} = \frac{(1.0 \frac{\text{s}}{\sqrt{\text{kg}}} - 0.89 \frac{\text{s}}{\sqrt{\text{kg}}})}{1.0 \frac{\text{s}}{\sqrt{\text{kg}}}} \times 100\%$$

$$= \boxed{11\%}$$

Kinematics - describing motion

types of motion:

constant velocity motion

- velocity rate of change in position with respect to time

$$v = \Delta x / \Delta t$$

x is position

Δ is change

if velocity is constant:

no acceleration

$$v = d/t \text{ or } d = vt$$

d is displacement = Δx in time, t

graph of x-t or d-t will be linear with slope = v

if acceleration is constant,
acceleration is rate of change in velocity

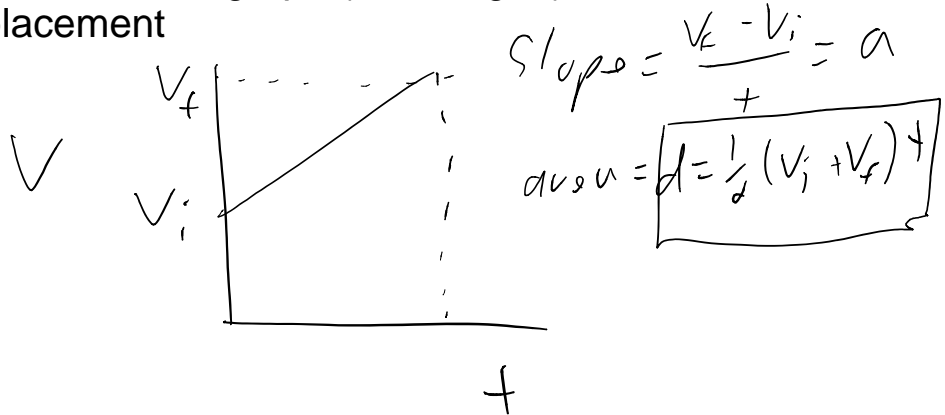
$$a = \Delta v / \Delta t$$

if a is constant then the v - t graph is linear

with slope = a

$$a = (v_f - v_i) / t \quad \text{or} \quad v_f = v_i + at$$

area under a v - t graph (the integral) =
displacement



by subbing the equations into each other you
get:

$$v_f^2 = v_i^2 + 2ad$$

$$d = \frac{1}{2}at^2 + v_i t$$

if acceleration is not constant, don't use these
equations, use energy conservation or work
or calculus (jerk is the rate of change in a)

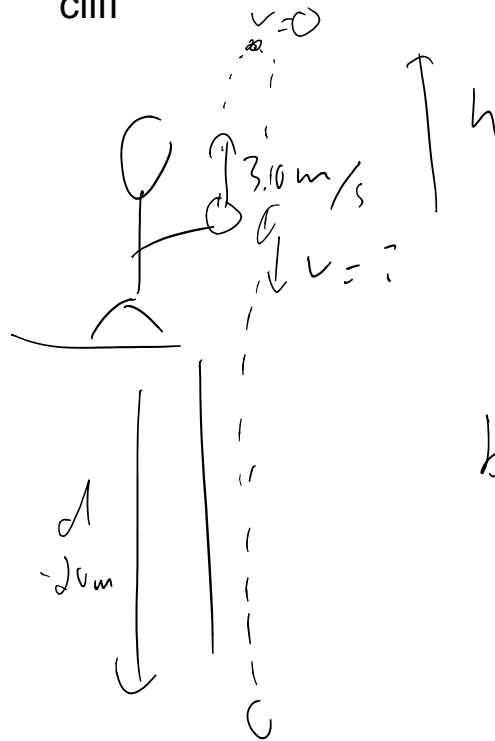
objects in freefall accelerate at 9.80 m/s^2
down if near Earth and negligible air
resistance

eg. you throw a rock up at 3.0 m/s from the
top of a 20.0 m high cliff.

- what is the acceleration of the rock
 - going up
 - at the top
 - going down
- maximum height
- time to maximum height
- velocity when the rock returns to the same
point you threw it from
- time to hit the bottom of the cliff
- velocity just before hitting the bottom of the
cliff

$v \rightarrow$

f) velocity just before hitting the bottom of the cliff



a) -9.80 m/s^2
 $\underline{\underline{a}}$ no time

up is positive

b) $d = h = ?$
 $V_i = 3.0 \text{ m/s}$
 $V_f = 0$
 $a = -9.80 \text{ m/s}^2$

$V_f^2 = V_i^2 + 2ad$

$d = \frac{V_f^2 - V_i^2}{2a} = \frac{0 - (3.0 \text{ m/s})^2}{2(-9.80 \text{ m/s}^2)}$

$d = 0.4592 \text{ m}$

$d = 0.46 \text{ m}$

above where you threw

c) $+$?
 $V_i = 3.0 \text{ m/s}$
 $V_f = 0$
 $a = -9.8 \text{ m/s}^2$

$V_f = V_i + at$

$t = \frac{V_f - V_i}{a}$

$$\left(\frac{v}{\Delta t} \right) = -9.8 \text{ m/s}^2$$

$$= \frac{0 - 3.0 \text{ m/s}}{-9.8 \text{ m/s}^2}$$

$$= 0.3061 \text{ s}$$

$$= \boxed{0.31 \text{ s}}$$

d)

~~at~~

$$V = -3.0 \text{ m/s}$$

by symmetry